

1. a.  $\langle -3, 2 \rangle$   
 b.  $\sqrt{13} \approx 3.61$ .  
 c. 2.554 radians or  $146.31^\circ$ . (If you answered  $-33.69^\circ$ , you chose an angle in opposite direction. Note that the vector goes up and left, not down and right. So add  $180^\circ$ .)  
 d. One possible answer:  $R = (0, 0)$ ,  $S = (-3, 2)$ .

2. a. One possible answer:  
 $x = 2 - 3t$ ,  
 $y = 3 + 2t$ .

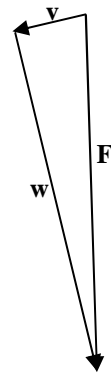
- b. One possible answer:  
 $x = 2 + 3 \cos t$ ,  
 $y = -4 + 3 \sin t$ .

3. a.  $\mathbf{F} = \langle 0, -6000 \rangle$ .

- b. See diagram at the right.  $\mathbf{F} = \mathbf{v} + \mathbf{w}$  where vector  $\mathbf{v}$  is parallel to the hill and vector  $\mathbf{w}$  is perpendicular to the hill. The triangle's angles are  $10^\circ$ ,  $80^\circ$ , and  $90^\circ$ .

- c. Answer:  $\langle -1026.06, -180.92 \rangle$ . *One method:* Use the projection formula to find the projection of  $\mathbf{F}$  in the direction of the hill. *Another method:* Find the answer to part **d** first, then multiply  $-1041.89$  by  $\langle \cos 10^\circ, \sin 10^\circ \rangle$ .

- d. Use right triangle trig. to find the length of side  $\mathbf{v}$ . Answer: 1041.89 pounds.



4.  $\mathbf{v} \cdot \mathbf{v} = |\mathbf{v}|^2$ . **Proof:**

$$\mathbf{v} \cdot \mathbf{v} = \langle v_1, v_2 \rangle \cdot \langle v_1, v_2 \rangle = v_1 v_1 + v_2 v_2 = v_1^2 + v_2^2$$

$$|\mathbf{v}|^2 = \left( \sqrt{v_1^2 + v_2^2} \right)^2 = v_1^2 + v_2^2$$

$$\text{So } \mathbf{v} \cdot \mathbf{v} = |\mathbf{v}|^2.$$

5. a. See the diagram on page 491. (You can also see the proof itself on page 492.)

- b. From the Law of Cosines applied to the triangle:

$$|\mathbf{v} - \mathbf{u}|^2 = |\mathbf{u}|^2 + |\mathbf{v}|^2 - 2|\mathbf{u}||\mathbf{v}|\cos\theta$$

- c.  $\cos\theta = \frac{-63}{5 \cdot 13}$ , so  $\theta \approx 2.893$  radians or  $165.75^\circ$ .

6. a.  $\langle 30 \cos 65^\circ, 30 \sin 65^\circ \rangle \approx \langle 12.68, 27.19 \rangle$ .

- b.  $t = 0.85$  sec,  $x = 10.77$  feet,  $y = 17.55$  feet.

If you had trouble finding the values accurately because the calculator doesn't offer [2nd][Calc]maximum in parametric mode, try graphing the relationship between  $t$  and  $y$  using rectangular mode instead, in which you can get the maximum point  $(t, y)$ .